

# The Hochschild cohomology of a class of exceptional periodic selfinjective algebras of polynomial growth

Tomohiro Itagaki and Hideyuki Koie

Tokyo University of Science,  
National Institute of Technology (KOSEN), Nagaoka College

*Email:* titagaki@rs.tus.ac.jp, 1114702@alumni.tus.ac.jp

This talk is based on joint work with G. Zhou and W. Lyu. It is known that the non-standard periodic representation-infinite selfinjective algebras of polynomial growth are socle deformations of the corresponding periodic standard algebras, and every such an algebra  $\Lambda$  is geometric socle deformation of exactly one representation-infinite standard algebra  $\Lambda'$  of polynomial growth. These algebras  $\Lambda$  and  $\Lambda'$  are called exceptional periodic algebras of polynomial growth in [1]. In [2], their Hochschild cohomology groups  $\mathrm{HH}^i(\Lambda)$  and  $\mathrm{HH}^i(\Lambda')$  for  $i = 0, 1, 2$  are determined, and it is shown that  $\Lambda$  and  $\Lambda'$  are not derived equivalent.

In this talk, we determine the Hochschild cohomology ring of a class of exceptional periodic selfinjective algebras of polynomial growth.

## REFERENCES

1. J. Białkowski, K. Erdmann and A. Skowroński, Periodicity of self-injective algebras of polynomial growth, *J. Algebra* 443 (2015), 200–269.
2. J. Białkowski, K. Erdmann and A. Skowroński, Hochschild cohomology for periodic algebras of polynomial growth, *J. Pure Appl. Algebra* 223 (2019), no. 4, 1548–1589.